Use the diagram below to figure out how high up the side of the house the ladder reaches.


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## P.4: Ladder Application

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$\square$

## Kaden's Method

Kaden's Method
$\square$

I can use the
Pythagorean
Theorem.
I plug the values
into the theorem and solve for $x$.

The ladder falls
at a point 23.69 ft . above the ground.


$$
8^{2}+x^{2}=25^{2}
$$

$x^{2}=561$
$a^{2}+b^{2}=c^{2}$

$$
x^{2}=561
$$

$x=23.69$

$$
64+x^{2}=625
$$

$a^{2}+b^{2}=c^{2}$

$$
8^{2}+25^{2}=x^{2}
$$

$$
64+625=x^{2}
$$

$$
x^{2}=689
$$

$$
x=26.25
$$

I can use the
Pythagorean Theorem.

I plug the values into the formula and solve for $x$.

The ladder falls
at a point
26.25 ft . above the ground.

1) What are the similarities and differences between Kaden and Maddie's methods?

| Similarities | Differences |
| :--- | :--- |
|  |  |
|  |  |
|  |  |

2) Maddie and Kaden got different answers. Who is correct, and why?
3) Find the missing side length.

4) Kaden's friend, Natasha, says that it doesn't really matter which sides of a right triangle are $a$, $b$, and $c$, as long as you use all of the numbers. Is she correct? Explain your thinking.

Whoops! Looks like I put the c-value in the wrong spot. I guess it does matter where you put the numbers!

I plug the values into the formula and solve for $x$.

