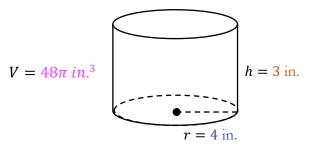
## What happens to the volume of a cylinder with radius 4 in. and height 3 in. when you scale the height?

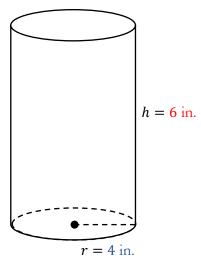


## Damien's "Double the Height" Method

If I double the height, I have a new height of 6 in.

Let me calculate the volume with the new height.

Doubling the height causes the new volume to be two times the original!



$$V = \pi r^2 h$$

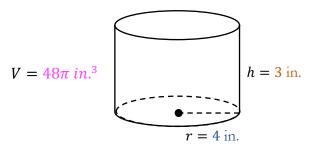
$$V=\pi(4)^2({\color{red}6})$$

$$V=96\pi\ in.^3$$

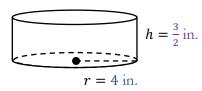
$$\frac{96\pi}{48\pi} = 2$$



What happens to the volume of a cylinder with radius 4 in. and height 3 in. when you scale the height?



Sydney's "Halve the Height" Method



 $V = \pi r^2 h$ 

$$V = \pi(4)^2 \left(\frac{3}{2}\right)$$

$$V = 24\pi \ in.^3$$

$$\frac{24\pi}{48\pi} = \frac{1}{2}$$

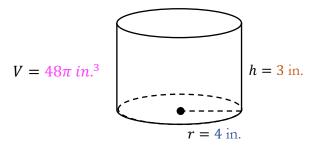
If I halve the height, I have a new height of 3/2 in.

Let me calculate the volume with the new height.

Halving the height makes the new volume ½ the original volume!



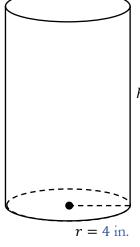
## What happens to the volume of a cylinder with radius 4 in. and height 3 in. when you scale the height?



## Damien's "Double the Height" Method

Sydney's "Halve the Height" Method

If I double the height, I have a new height of 6 in.



h = 6 in.

Let me calculate the volume with the new height.

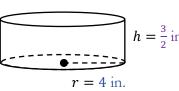
 $V = \pi r^2 h$ 

$$V = \pi(4)^2(6)$$

$$V = 96\pi \ in.^3$$

Doubling the height causes the new volume to be two times the original!





$$V = \pi r^2 h$$

$$V = \pi(4)^2 \left(\frac{3}{2}\right)$$

$$V=24\pi in.^3$$

$$\frac{24\pi}{48\pi} = \frac{1}{2}$$

If I halve the height, I have a new height of 3/2 in.

Let me calculate the volume with the new height.

Halving the height makes the new volume ½ the original volume!





1) What are the similarities and differences between Damien and Sydney's methods?

Differences
$a.^3$ , what would the new volume be if the height were
if we multiplied the height by any number, $x$ .
ure? Explain.

